

Optical Component Design for Various Optical Applications in Visible to Terahertz Regions

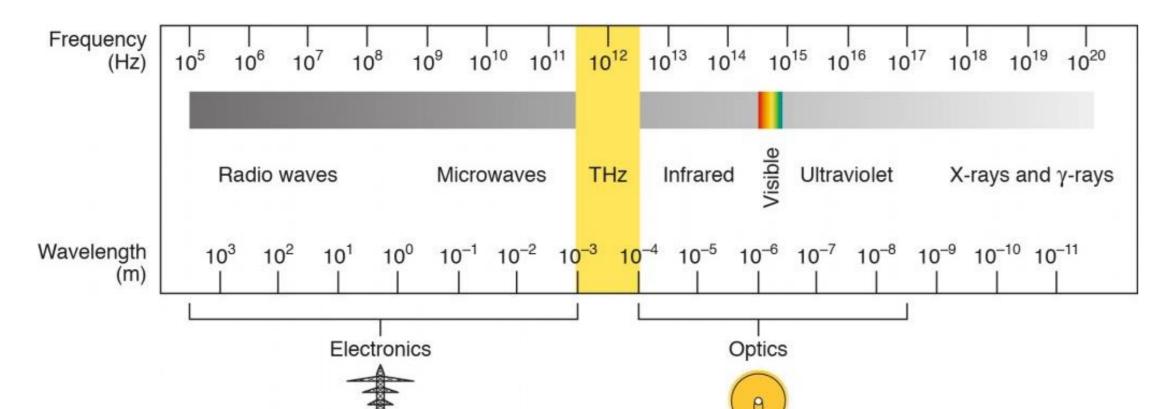
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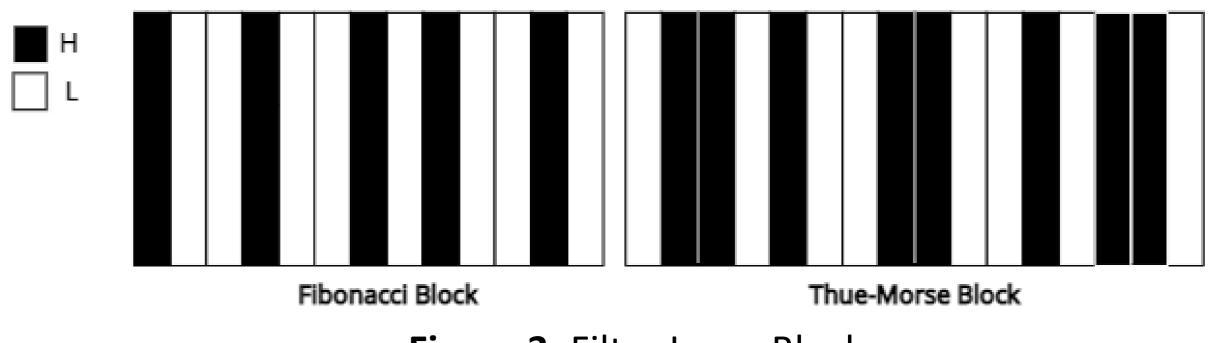
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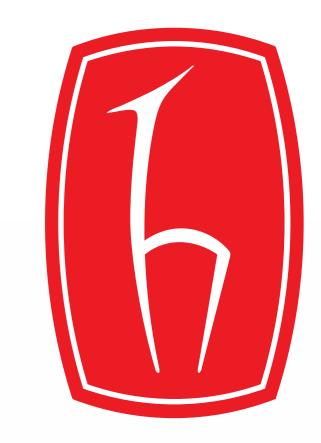
Introduction

Optical components are structures that changes the behavior of light according to their designs and purposes. Optical components are designed to work in specific regions of light spectrum.



- Overall layer sequence : air/(HLLHLLHLLHL)^{N1}/(LHHLHLLHLLHLHLLHL)^{N2}/air
- N₁ represents the repeat number of Fibonacci block and N₂ represents the repeat number of Thue-Morse block.







- In this project, I designed a hybrid multilayer optical filter that behaves like a reflector in visible and sub-infrared regions.
- Fibonacci and Thue-Morse series are used together in the layer configuration and effects of each sequence investigated separately.

Solution Methodology

Transfer Matrix Method is used to find the reflected power ratio of the optical filter.

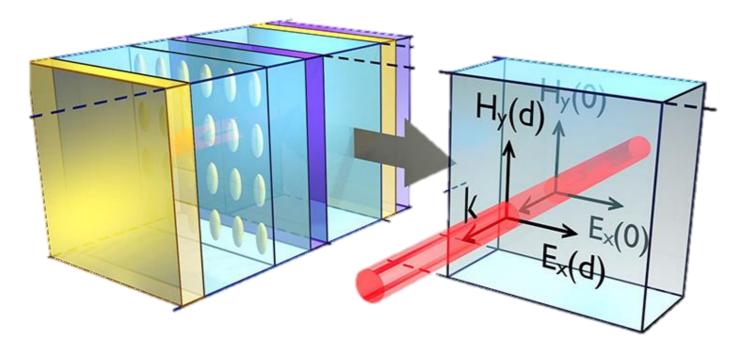


Figure 2: Transfer Matrix Method Demonstration.

Results and Discussion

- Figure 4 represents the reflected power ratio (RPR) of the filter when repetition numbers of each block is 1. Filter behaves as reflector in most of the visible region and sub-infrared region. Around center wavelength RPR decrease to half.
- Figure 5.a shows that when repetition number of the Fibonacci block increases, in visible region and between 1400-1600 nm filter behaves as better reflector. Around center wavelength narrow zero reflection bands observed.
- Figure 5.a shows that when repetition number of the Thue-Morse block increases, around center wavelength and between 1300-1600 nm filter's reflector behavior decreases. However, between 650-1300 nm it behaves like a perfect reflector.
- It has been observed that, Fibonacci and Thue-Morse series have separate effects on the characteristic of the filter.
- According to Transfer Matrix Method, each filter layer can be represented with matrixes. With combination of these matrixes overall transfer matrix can be found as presented in the figure 2 and equation 1.

$$M = M_1 M_2 M_3 \dots = \begin{bmatrix} M_{11} & M_{12} \\ M_{21} & M_{22} \end{bmatrix}$$
(1)

Reflected power ratio can be calculated with transfer matrix elements as equation 2 shows.

$$\frac{P_r}{P_i} = |r|^2 = \left|\frac{M_{21}}{M_{11}}\right|^2$$

(2)

Optical Filter Design

- The filter layer arrangement was made according to the 6th cell of Fibonacci and 4th cell of Thue-Morse.
- Filter consists 2 dielectric materials which are $SiO_2(n_{SiO_2} = 1.45=L)$ and Te ($n_{Te} = 4.234=H$).

Center wavelength is 600 nm. Thicknesses are calculated according

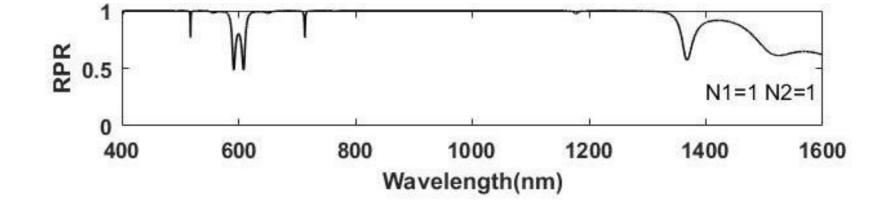


Figure 4: Reflected Power Ratio vs Wavelength ($N_1 = 1 N_2 = 1$)

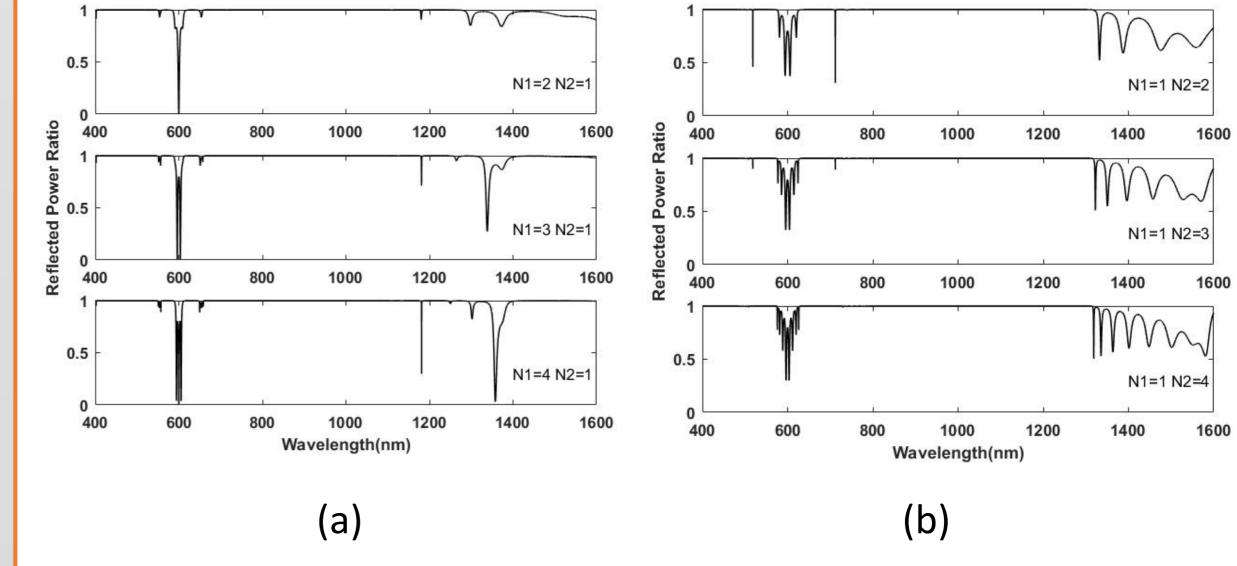


Figure 5: a)Reflected Power Ratio vs Wavelength (N₁ = 2, 3, 4 N₂ = 1),
b) Reflected Power Ratio vs Wavelength (N₁ = 1 N₂ = 2, 3, 4)

Acknowledgements

to quarter center wavelength and refractive indexes.

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